
9.2 Notes: Patterns in a Table of Values

Alvin is cooking a turkey in a very old oven, and needs to heat the turkey to an internal temperature of 250 degrees. For absolutely no reason at all, he decides to make a table of values comparing how long it takes to reach different temperatures:
$(0,0) \begin{aligned} & \mathrm{X} \text { represents the amount of time in minutes } \\ & \text { y represents the temperature in degrees }\end{aligned}$

| $x$ | $y$ |
| :---: | :---: |
| 0 | 0 |
| 1 | 50 |
| 2 | 100 |
| 3 | 150 |
| 4 | 200 |

Graph the ordered pairs:
Does this represent a linear relationship?

yes
Because the points are all in a straight line.

What is the relationship between $X$ and $y$ ? $\quad 4$
The relationship can be represented in $\not \approx$ ways:

1. Words: increasing by $50^{\circ} \mathrm{C}$ per minute
2. table: see above
3. graph: see above
4. equation: $y=50 x+0$

$$
y=50 x
$$

| A variable is: | An expression is: |
| :--- | :--- |
| an unknown | A math "phrase" |
| number, represented | combining numbers, |
| as a letter | variables, and opera actions |
| $(e . g . x)$ | $(e . g .2 x+7)$ |

How can you tell if a table represents a linear relationship? $\rightarrow$ graph it.

Relationship A

| $X$ | 2 | 4 | 6 | 8 |
| :---: | :---: | :---: | :---: | :---: |
| $y$ | 3 | 7 | 11 | 15 |



Relationship B a straight line?

| $X$ | 1 | 2 | 3 | 4 |
| :---: | :---: | :---: | :---: | :---: |
| $y$ | 1 | 4 | 7 | 9 |



Is there a way to tell if a table represents a linear relationship WITHOUT graphing?
Think about how you can describe the relationship in words:
Does it "go up" by the same amount every time?

You can tell if a table represents a linear relationship by:
examining the table $>$ does the data incracosc by the same amount every time?

Problem:
Wendy is buying shirts. The company charges $\$ 60$ for the first shirt, and $\$ 15$ for each extra shirt. Complete the table:

| $\#$ of shirts | 1 | 2 | 3 | 4 |
| :---: | :---: | :---: | :---: | :---: |
| Cost | 60 | $\underbrace{75}_{+15}$ | 105 | 105 |

Is this a linear relationship? How do you know?
Yes. It goes up by $\$ 15$ every time.
How much should 12 shirts cost?


$$
\text { So: } x=60+11(15)<4 x=\$ 225
$$

Equation:

$$
\begin{aligned}
& C=155+45 \\
& C=15(12)+45 \\
& C=\$ 225
\end{aligned}
$$

Does this represent a linear relationship? Yes!
proof: add a column to the table:

| $x$ | 2 | 3 | 4 | 5 | 6 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $y$ | 6 | 10 | 14 | 18 | 22 |

What happens if you try to plot it on a graph?
The points are on a straight line.

| x | 2 | 3 | 5 | 6 |
| :---: | :---: | :---: | :---: | :---: |
| y | $\overbrace{+4}^{+1}$ | $\underbrace{10}$ | 18 | 22 |
| $\underbrace{+2}_{+8}$ | $\underbrace{+1}_{+4}$ |  |  |  |

$$
\begin{array}{ccc}
\frac{4}{1} & \frac{8}{2} & \frac{4}{1} \\
3 & 3 & 3 \\
4 & 4 & 4
\end{array}
$$



There is a consistent pattern, but ...
there is a missing point triangle l are

